

Semester	<b>III</b>
Course	<b>Major</b>
Paper Code	C2MT230321T
Paper Title	<b>Algebra-2</b>
No. of Credits	<b>4</b>
Theory / Practical / Composite	<b>Theory</b>
Minimum No. of preparatory hours per week a student has to devote	<b>4</b>
Number of Modules	Nil
Syllabus	<p>Homomorphism and Isomorphism of group--definition and examples (3) Homomorphism theorems relating to identity, inverse, image and inverse image of a subgroup, order of an image of an element, Kernel of a homomorphism—related results (5). Normal subgroups, Quotient group - Examples, (3) First Isomorphism theorem. Monomorphism, epimorphism, isomorphism—related results; (3) Infinite cyclic group is isomorphic to <math>(\mathbb{Z}, +)</math> and finite cyclic group is isomorphic to <math>(\mathbb{Z}_n, +)</math>, Isomorphism of a group with subgroup and quotient of another groups. Isomorphic classes of groups.(5)</p> <p>Natural homomorphism of <math>G</math> onto <math>G/N</math>, <math>N</math> being a normal subgroup of <math>G</math>. Second and Third Isomorphism Theorems, Isomorphism results relating to normal subgroups (5).</p> <p>Introduction to vector space and its subspaces (4) Algebra of subspaces, quotient spaces (3) linear combination of vectors, linear span, linear independence (3), basis and dimension. Infinite dimensional vector spaces : only examples (3). Linear transformations, null space, range, rank and nullity of a linear transformation (4), matrix representation of a linear transformation (2), algebra of linear transformations. Isomorphisms. Isomorphism theorems, invertibility and isomorphisms, properties of isomorphism (6) change of coordinate matrix (2).</p>

Learning Outcomes	<ul style="list-style-type: none"> <li>• To learn the constructions of new group from the old, group transformations,</li> <li>• Classification of groups through group transformations.</li> <li>• Learning Abstract Vector Spaces, Linear Transformations and their salient properties.</li> </ul>	
Reading/Reference Lists	<ul style="list-style-type: none"> <li>• Contemporary Abstract Algebra by Joseph Gallian.</li> <li>• Abstract Algebra by Sen, Ghosh, Mukhopadhyay.</li> <li>• Matrix and Linear Algebra Kanti Bhushan Datta.</li> <li>• Linear Algebra by Arnold J. Insel, Lawrence E. Spence, and Stephen H. Friedberg.</li> <li>• Elementary Linear Algebra by Howard Anton, Chris Rorres.</li> <li>• Linear Algebra Done Right by Sheldon Axler.</li> <li>• Abstract Algebra by Dummit and Foote.</li> <li>• Higher Algebra by S.K. Mapa. • Linear Algebra: A geometric Approach by S. Kumaresan.</li> <li>• . Topics in Algebra by I.N. Herstein</li> <li>• . Introduction to linear Algebra by Gilbert Strang.</li> <li>• Linear Algebra by K.Hoffman and R.. Kunz.</li> </ul>	
Evaluation	70	30
Paper Structure for Theory Semester Exam	7 questions each carrying 10 marks needs to be answered out of 12/13 questions.	